EE E6820: Speech & Audio Processing & Recognition

Lecture 1: Introduction & DSP

- 1 Sound and information
- 2 Course structure
- 3 DSP review: Timescale modification

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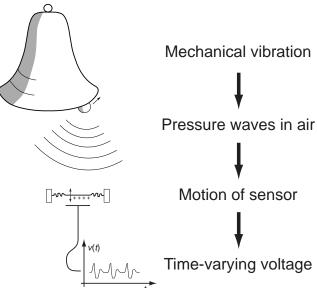
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Sound and information

• Sound is air pressure variation



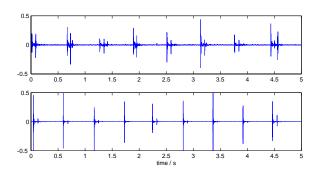
Transducers convert air pressure ↔ voltage



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What use is sound?

• Footsteps examples:

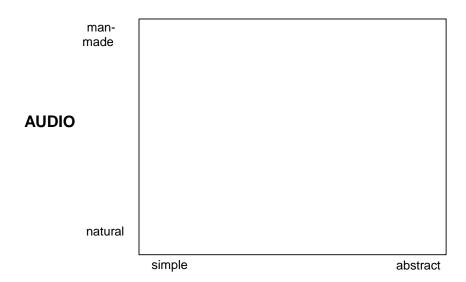


- Hearing confers an evolutionary advantage
 - useful information, complements vision
 - ...at a distance, in the dark, around corners
 - listeners are highly adapted to 'natural sounds' (including speech)

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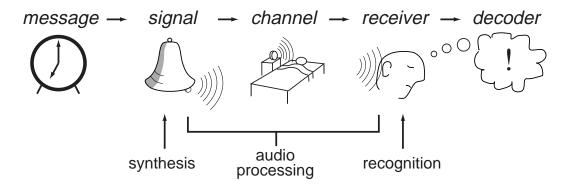
The scope of audio processing



PROCESSING



The acoustic communication chain



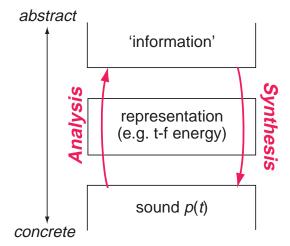
- Sound is an information bearer
- Received sound reflects source(s) plus effect of environment (channel)

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Levels of abstraction

Much processing concerns shifting between levels of abstraction



- Different representations serve different tasks
 - separating aspects, making things explicit ...

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Course structure

Goals:

- survey topics in sound analysis & processing
- develop an intuition for sound signals
- learn some specific technologies

Course structure:

- weekly assignments (25%)
- midterm event (25%)
- final project (50%)

Text:

Speech and Audio Signal Processing Ben Gold & Nelson Morgan, Wiley, 2000

ISBN: 0-471-35154-7



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Web-based

Course website:

http://www.ee.columbia.edu/~dpwe/e6820/

for lecture notes, problem sets, examples, ...



+ student web pages for homework etc.

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Course outline

Fundamentals

L1: L2: L3: L4:

DSP Acoustics Pattern Auditory recognition perception

Audio processing

L5: L6: Music analysis/ synthesis

L7: L8:

Audio Spatial sound compression & rendering

Applications

L9: L10: Speech Music recognition retrieval

L11: L12:
Signal Multimedia
separation indexing

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Weekly Assignments

- Research papers
 - journal & conference publications
 - summarize & discuss in class
 - written summaries on web page
- Practical experiments
 - MATLAB-based (+ Signal Processing Toolbox)
 - direct experience of sound processing
 - skills for project
- Book sections



Final Project

- Most significant part of course (50% of grade)
- Oral proposals mid-semester;
 Presentations in final class
 - + website
- Scope
 - practical (Matlab recommended)
 - identify a problem; try some solutions
 - evaluation
- Topic
 - few restrictions within world of audio
 - investigate other resources
 - develop in discussion with me
- Copying

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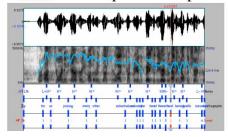
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Examples of past projects

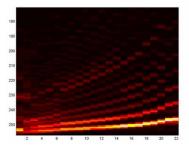
• Automatic Prosody Classification

ToBI Transcription Example



Model-based note transcription

Instrument B Models



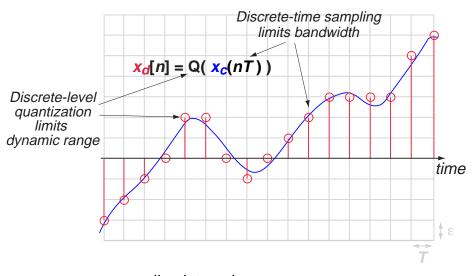


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DSP review: Digital Signals



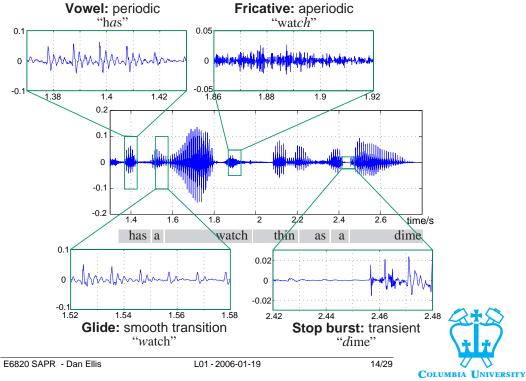
- sampling interval T, sampling frequency $\Omega_T = \frac{2\pi}{T}$
- quantizer $Q(y) = \varepsilon \cdot \lfloor y/\varepsilon \rfloor$

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The speech signal: time domain

• Speech is a sequence of different sound types:

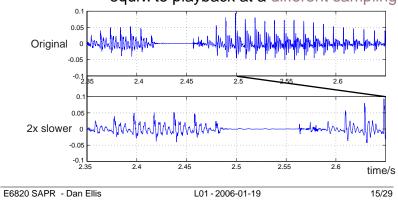


Timescale modification (TSM)

- Can we modify a sound to make it 'slower'?
 i.e. speech pronounced more slowly
 - e.g. to help comprehension, analysis
 - or more quickly for 'speed listening'?
- Why not just slow it down?

-
$$x_s(t) = x_o(\frac{t}{r})$$
 , $r = \text{slowdown factor}$ (>1 \rightarrow slower)

- equiv. to playback at a different sampling rate



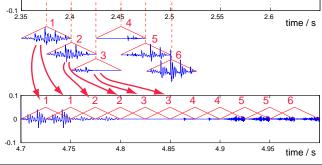
r = 2



Time-domain TSM

- Problem: want to preserve local time structure but alter global time structure
- Repeat segments
 - but: artefacts from abrupt edges
- Cross-fade & overlap

$$y^{m}[mL+n] = y^{m-1}[mL+n] + w[n] \cdot x \left[\left\lfloor \frac{m}{r} \right\rfloor L + n \right]$$



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Synchronous Overlap-Add (SOLA)

Idea: Allow some leeway in placing window to optimize alignment of waveforms



 K_m maximizes alignment of 1 and 2

Hence,

$$y^{m}[mL+n] = y^{m-1}[mL+n] + w[n] \cdot x \left[\left\lfloor \frac{m}{r} \right\rfloor L + n + \frac{K_{m}}{m} \right]$$

where K_m chosen by *cross-correlation*:

$$K_{m} = \underset{0 \leq K \leq K_{U}}{\operatorname{argmax}} \frac{\sum_{n=0}^{N_{ov}} y^{m-1} [mL+n] \cdot x \left[\left\lfloor \frac{m}{r} \right\rfloor L + n + K \right]}{\sqrt{\sum (y^{m-1} [mL+n])^{2} \sum \left(x \left(\left\lfloor \left\lfloor \frac{m}{r} \right\rfloor L + n + K \right\rfloor \right)^{2}}}$$

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The Fourier domain

Fourier Series (periodic continuous x)

$$x(t) = \sum_{k} c_{k} \cdot e^{jk\Omega_{0}t} \qquad \Omega_{0} = \frac{2\pi}{T} x(t)$$

$$c_{k} = \frac{1}{2\pi T} \int_{-T/2}^{T/2} x(t) \cdot e^{-jk\Omega_{0}t} dt |c_{k}|$$

$$c_{k} = \frac{1}{2\pi T} \int_{-T/2}^{T/2} x(t) \cdot e^{-jk\Omega_{0}t} dt |c_{k}|$$

Fourier Transform (aperiodic continuous x)

$$x(t) = \frac{1}{2\pi} \int X(j\Omega) \cdot e^{j\Omega t} d\Omega$$

$$X(j\Omega) = \int x(t) \cdot e^{-j\Omega t} dt$$



Discrete-time Fourier

DT Fourier Transform (aperiodic sampled x)

$$x[n] = \frac{1}{2\pi} \int_{-\pi}^{\pi} X(e^{j\omega}) \cdot e^{j\omega n} d\omega \qquad \xrightarrow{\stackrel{\downarrow}{\underset{1}{\longrightarrow}} x[n]} \overset{\chi[n]}{\underset{1}{\longrightarrow} y \circ \varphi \circ \varphi}$$

$$X(e^{j\omega}) = \sum_{n} x[n] \cdot e^{-j\omega n} \qquad \xrightarrow{\stackrel{\downarrow}{\underset{1}{\longrightarrow}} |X(e^{j\omega})|} \overset{\chi[n]}{\underset{2}{\longrightarrow}} \overset{\chi[n]}{\underset{1}{\longrightarrow}} \overset{\chi[$$

Discrete Fourier Transform (N-point *x***)**

$$x[n] = \sum_{k} X[k] \cdot e^{j\frac{2\pi kn}{N}}$$

$$X[k] = \sum_{n} x[n] \cdot e^{-j\frac{2\pi kn}{N}}$$

$$X[k] = \sum_{n} x[n] \cdot e^{-j\frac{2\pi kn}{N}}$$

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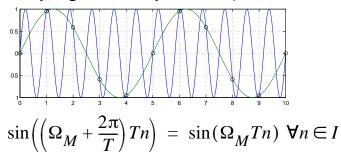
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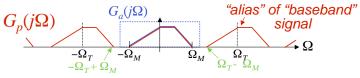


Sampling and aliasing

- Discrete-time signals equal the continuous time signal at discrete sampling instants: $x_d[n] = x_c(nT)$
- Sampling cannot represent rapid fluctuations

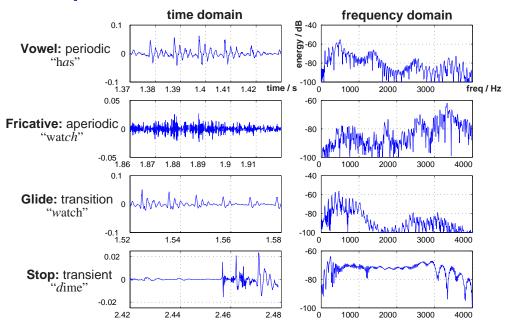


• Nyquist limit ($\Omega_T/2$) from periodic spectrum:



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Speech sounds in the Fourier domain



- $dB = 20 \cdot log10(amplitude) = 10 \cdot log10(power)$
- Voiced spectrum has pitch + formants

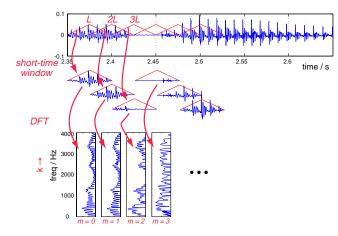
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Short-time Fourier Transform

- Want to localize energy in both time and freq
 - →break sound into short-time pieces calculate DFT of each one



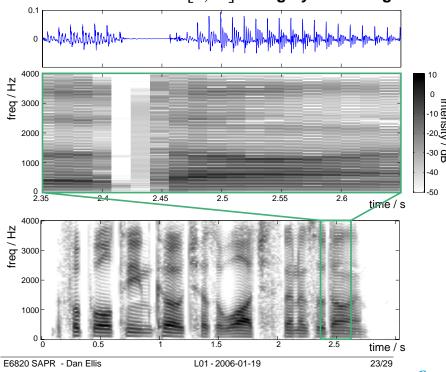
Mathematically:

$$X[k,m] = \sum_{n=0}^{N-1} x[n] \cdot w[n-mL] \cdot \exp(-j(2\pi k(n-mL)))$$

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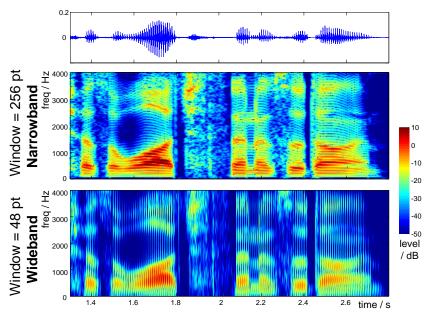
The Spectrogram

• Plot STFT X[k, m] as a grayscale image:



Time-frequency tradeoff

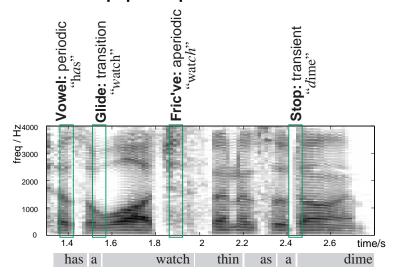
• Longer window w[n] gains frequency resolution at cost of time resolution



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Speech sounds on the Spectrogram

Most popular speech visualization



 Wideband (short window) better than narrowband (long window) to see formants

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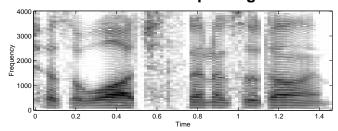
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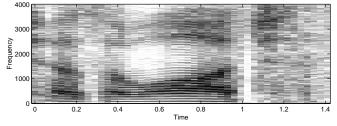
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TSM with the Spectrogram

• Just stretch out the spectrogram?





- how to resynthesize? spectrogram is only |Y[k, m]|



The Phase Vocoder

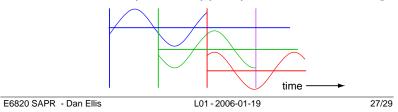
- Timescale modification in the STFT domain
- Magnitude from 'stretched' spectrogram:

$$|Y[k,m]| = \left|X\left[k,\frac{m}{r}\right]\right|$$

- e.g. by linear interpolation
- But preserve phase increment between slices:

$$\dot{\theta}_{Y}[k,m] = \dot{\theta}_{X}\left[k,\frac{m}{r}\right]$$

- e.g. by discrete differentiator
- Does right thing for single sinusoid
 - keeps overlapped parts of sinusoid aligned





General issues in TSM

- Time window
 - stretching a narrowband spectrogram
- Malleability of different sounds
 - vowels stretch well, stops lose nature
- Not a well-formed problem?
 - want to alter time without frequency... but time and frequency are not separate!
 - 'satisfying' result is a subjective judgement
 - →solution depends on auditory perception...

Summary

• Information in sound

- lots of it, multiple levels of abstraction

• Course overview

- survey of audio processing topics
- practicals, readings, project

DSP review

- digital signals, time domain
- Fourier domain, STFT

• Timescale modification

- properties of the speech signal
- time-domain
- phase vocoder



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